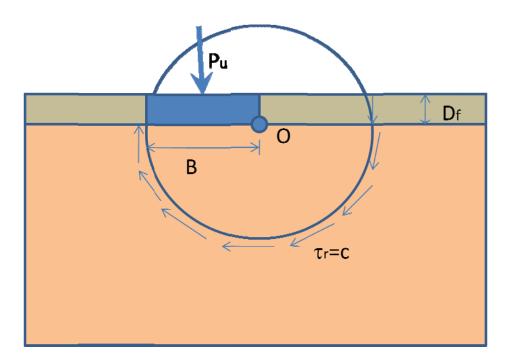
## 53:139 Foundation Engineering Department of Civil & Environmental Engineering The University of Iowa Supplement to Assignment #4

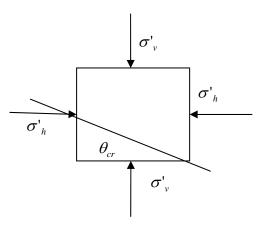
**Problem #1**: A number of possible failure or slip surfaces can be used to analyze bearing capacities of shallow foundations. One of the many that has been considered for strip footings is the planar semi-circular surface shown below. Bearing failure of the soil for this slip surface involves rotation of the soil mass about the point O at the corner of the footing. The force  $P_u$  is the bearing capacity and drives the failure. Three mechanisms resist failure: (1) the surcharge loading to the right of the foundation; (2) the cohesion stress in the surcharge layer  $\tau_r$ =c; and (3) the cohesion stress  $\tau_r$ =c along the circular surface of the mechanism. Using equilibrium considerations like those used in class, derive an expression for the ultimate bearing capacity  $P_u$  of a strip footing of width B in terms of B,  $\gamma$ , c, and  $D_f$ .



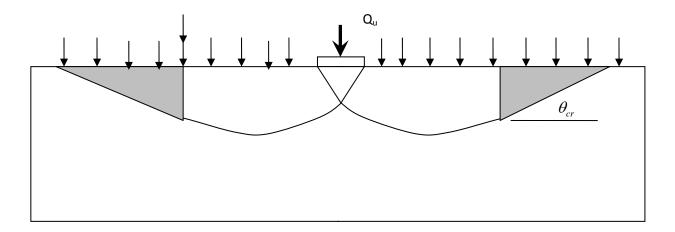
**Problem #2:** In deriving Terzaghi's bearing capacity equation for strip footings, we used the notion of Rankine's passive failure state in which:

$$\sigma'_h = K_p \sigma'_v + 2c\sqrt{K_p} \quad \text{where } K_p = \frac{1 + \sin\phi}{1 - \sin\phi} = \tan^2\left(45^\circ + \frac{\phi}{2}\right)$$

Shear failure occurs in the soil along planes making angles with the horizontal:  $\theta_{cr}=\pm\left(45^{\circ}-\frac{\phi}{2}\right)$ 



This was used in developing Terzaghi's bearing capacity model for strip footings in which the assumed failure mechanism in the soil was as shown below.



Using Mohr's circle and the Pole method, first verify the equations above. Then explain how this result was used in developing Terzhagi's bearing capacity equation.